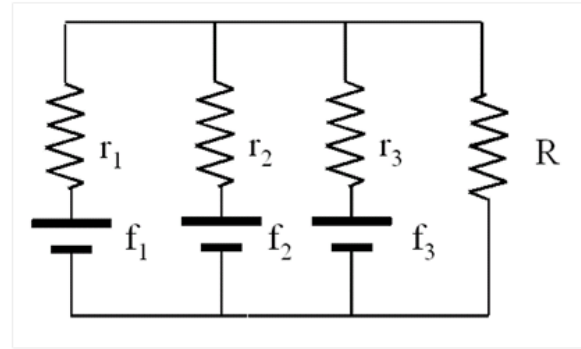


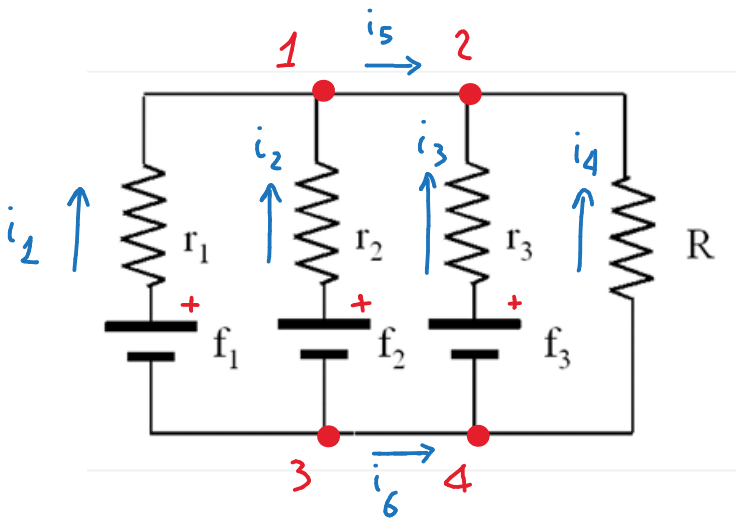
Tre generatori su una resistenza R

Determinare nel circuito mostrato in figura la corrente che scorre nella resistenza R e la corrente che scorre nel generatore più a destra.

(Dati del problema $R = 5 \Omega$, $f_1 = 7 V$, $r_1 = 1 \Omega$, $f_2 = 10 V$, $r_2 = 2 \Omega$, $f_3 = 9 V$, $r_3 = 3 \Omega$.)



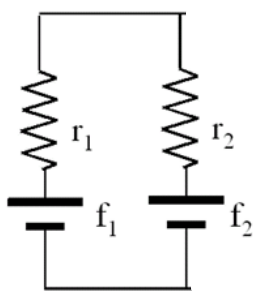
① First we identify the junctions and the meshes



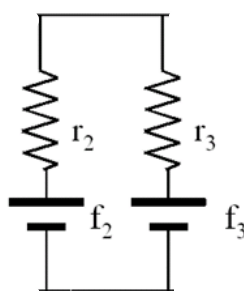
• Junction: point of connection of three or more branches.

Mesh: closed loop of circuit not divisible into smaller meshes

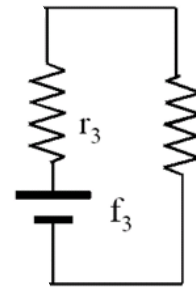
First Mesh



Second Mesh



Third Mesh



② Retrieve from N junctions $N-1$ linearly independent equations (up to now the direction of the currents is arbitrary set)

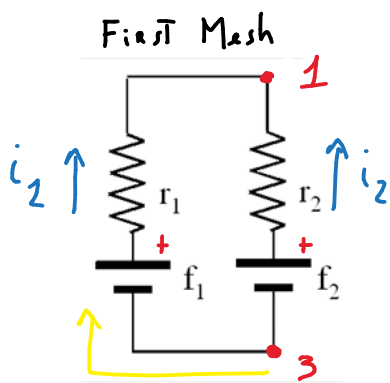
Junction 1: $i_1 + i_2 - i_5 = 0$

Junction 2: $i_3 + i_4 + i_5 = 0$

Junction 3: $-i_1 - i_2 - i_6 = 0$

the equation for junction 4 is linearly DEPENDENT

Then we need to apply KVL for each mesh of the circuit (3 equations more)

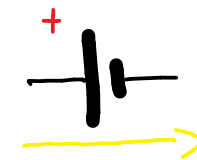


ARBITRARY

Remember



POSITIVE

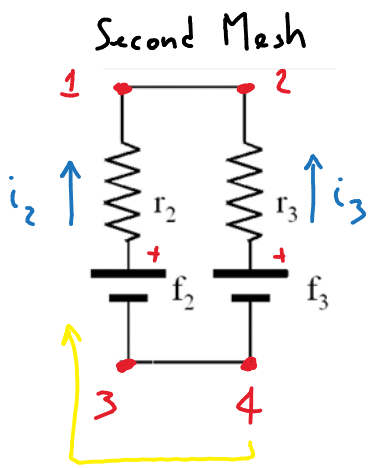


NEGATIVE

$$R_1 i_1 - R_2 i_2 = + f_1 - f_2$$

first Turn I
neglect the
generators

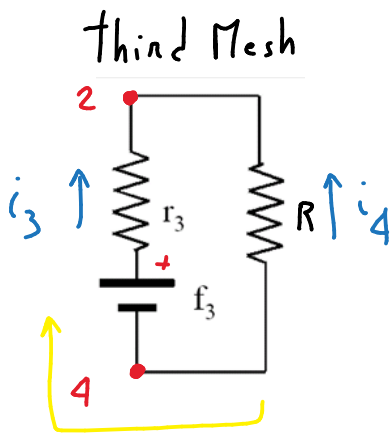
second Turn
i neglect
the resistors



$$R_2 i_2 - R_3 i_3 = + f_2 - f_3$$

first Turn
second Turn

4 3 1 2 4
4 3 1 2 4



$$R_3 i_3 - R i_4 = f_3$$

ARBITRARY

NOW WE HAVE 6 EQUATIONS AND 6 VARIABLES

$$\left\{ \begin{array}{l} i_1 + i_2 - i_5 = 0 \\ i_3 + i_4 + i_5 = 0 \\ -i_1 - i_2 - i_6 = 0 \\ R_1 i_1 - R_2 i_2 = + f_1 - f_2 \\ R_2 i_2 - R_3 i_3 = + f_2 - f_3 \\ R_3 i_3 - R i_4 = f_3 \end{array} \right.$$

linear system
To solve for

$i_1, i_2, i_3, i_4, i_5, i_6$

